#### The OpenMP Common Core

The Fortran Supplement (Version 1.2.1)

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#### Preface to the Fortran supplement

OpenMP is defined for C, C++, and Fortran. Ideally, when you write a book about OpenMP, everything is covered in triplicate; once for each of these programming languages. If that was done, however, the resulting book would be cluttered and painful to read. What's a poor author to do?

After struggling with the language problem for many moons we came upon what we hope is an effective compromise. Our book on the OpenMP Common Core covers C and Fortran. Every time we present an item from the OpenMP API, we define it in both C and Fortran. The code discussed in the book, however, only addresses C. The result is a book tightly woven around a set of C examples; free from the clutter of replicated content from other languages.

For C++ programmers, this solution works quite well. While offensive to a "proper" C++ programmer, you can think of C++ as a superset of C. With few exceptions, if you move OpenMP for C into C++, things just work. We thought this was an adequate solution for Fortran programmers as well since surely modern Fortran programmers understand C. Based on informal surveys at numerous OpenMP tutorials, however, we've learned that this assumption is not universally true. Many Fortran programmers are not comfortable with C. The authors of the *OpenMP Common Core* started life as Fortran programmers. We love Fortran and would hate to leave our fellow "Formula Translation" buddies out in the cold without the benefit of our excellent book.

We came up with a simple solution to this problem. We produced a supplement to our book that presents every example from the book implemented in Fortran. Our Fortran friends would buy the *OpenMP Common Core* book and download this free supplement. Having the two side by side, Fortran programmers could easily absorb the contents of our book and apply what they have learned to their own Fortran programs.

There is one technical complication to this solution. When presenting OpenMP to C and C++ programmers, we delay introduction of clauses that manipulate the data environment. There is so much to grapple with when learning multithreaded programming. It greatly simplifies the discussion if we don't move beyond the default rules for data sharing until much later.

For Fortran programmers however, this is not possible. A C programmer can declare a new variable almost anywhere. Fortran, on the other hand, requires that all variables are declared before any executable code. Therefore, to discuss OpenMP with Fortran programmers, we need to present one of the clauses from Chapter 6 (OpenMP Data Environment) right from the beginning. This clause is the private clause.

The private(list) clause takes a comma separated list of variables as an argument. Each of the variables in the list are declared earlier (in the declarative section of the program). We call those the *original variables*. When the private clause is used with a construct that creates threads, each thread allocates a variable for each of the original variables. These new variables are local or "private" to each thread. These variables are uninitialized, so inside the code executed by the OpenMP threads, you must initialize all private variables before using them.

There are numerous details with the private clause, but we leave those to chapter 6. To get started with the OpenMP Common Core, you only need to use the private clause with simple scalar variables. Once you know about this clause, its use is almost self evident. You'll see when you get to its first use in Figure 4.2.

With that small technical detail out of the way, we return to our discussion of the Fortran Supplement to our book on the OpenMP Common Core. Production of the Fortran Supplement took far more time than we expected. As is often the case when writing a book, we were so fixated on the text that we did not organize all the code we used in one place. So one of us (Helen) extracted each and every fragment of C code from the book. She then converted each of them to Fortran. While she tested the resulting code, another member of the team (Tim) independently verified all of her code. He then made a copy of the Latex source code for the OpenMP Common Core book and modified it to include just the figures-with-source-code and code-embedded-in-text replacing the C code with Helen's Fortran code.

The result is this document. With Fortran versions for all the code from our *OpenMP Common Core* book, it should make our book useful to Fortran programmers. We have mirrored the chapter structure of the Common Core book with section headings that call out:

- The figure number for programs presented in the *OpenMP Common Core* book
- The page number from the *OpenMP Common Core* book where code-embedded-in-text is found.

We hope you find our solution to the multi-language problem in OpenMP useful. We really want our Fortran readers to benefit from our wonderful little book on the *OpenMP Common Core*.

#### Acknowledgments

When we first started teaching OpenMP, Scientific Computing was almost exclusively centered on Fortran. Even if programmers used a different language, they were generally comfortable reading Fortran. Over the years, the dominance of Fortran has slipped only to be replaced by C. In response, our materials for teaching OpenMP shifted taking us to place where we largely ignored Fortran.

This situation is changing. We are moving Fortran back into the core materials we use for teaching OpenMP. We can only do this, however, with help from the OpenMP Fortran community. We all still use Fortran and are comfortable with the language, but we need an expert who is up to date with the latest developments in Fortran to check our work and make sure it is correct. Henry Jin (NASA Ames Research Center) played the "expert Fortran reviewer" role for us. He found numerous errors, both large and small, in our code. We are grateful to Henry for the many hours he spent reviewing our code and making sure that this Fortran Supplement is of the highest quality.

# 1 Parallel Computing

Figure 1.1: Our first OpenMP Program

A simple "Hello World" program to demonstrate concurrent execution.

```
1 program helloworld
2 use omp_lib
3 !$omp parallel
4    write(*, '(a)', advance='no')'Hello'
5    write(*, '(a)') 'World'
6 !$omp end parallel
7 end program helloworld
```

Figure 1.5: A pthreads "Hello World" program

A "Hello World" where a C function using Pthreads is called from a Fortran Program.

```
1
2 ! This is a Fortran wrapper to call C Pthreads function
   ! Save the contents in 2 files as below.
4
   ! To compile:
5
6
         gfortran -c Fig_1.5_PosixHello.f90
7
        gcc -c Fig_1.5_PosixHello_external.c
8
        gfortran Fig_1.5_PosixHello.o Fig_1.5_PosixHello_external.o
9
10 # File 1: "Fig_1.5_PosixHello.f90"
11
12 program main
13
      implicit none
14
      external :: pthreads_c
15
      call pthreads_c()
16
   end program main
17
   # File 2: "Fig_1.5_PosixHello_external.c"
18
19
20 #include <pthread.h>
21 #include <stdio.h>
22 #include <stdlib.h>
23 #define NUM_THREADS 4
24
25 void *PrintHelloWorld(void *InputArg)
26
      printf(" Hello ");
27
      printf(" World \n");
28
29
   }
30
31
   void pthreads_c_()
32
33
      pthread_t threads[NUM_THREADS];
34
      int id;
```

```
pthread_attr_t attr;
35
      pthread_attr_init(&attr);
36
      pthread_attr_setdetachstate(&attr, PTHREAD_CREATE_JOINABLE);
37
38
      for (id = 0; id < NUMLTHREADS; id++) {
39
          pthread_create(&threads[id], &attr, PrintHelloWorld, NULL);
40
41
      }
42
      for (id = 0; id < NUM\_THREADS; id++){
43
          pthread_join(threads[id], NULL);
44
45
      }
46
47
      pthread_attr_destroy(&attr);
      pthread_exit(NULL);
48
49 }
```

# 2 The Language of Performance

In this chapter, we focus on the words we use when talking about the performance of a parallel program. These concepts are language independent. Hence, there is no C, C++, or Fortran code in this chapter.

Table 3.1: The contents of the OpenMP Common Core

A structured block is implied between any directive and its "end directive" form. Square brackets ( $[\ ]$ ) denote optional items.

Directives, subprograms, clauses,	Description
and an environment variable	
!\$OMP parallel	Create a team of threads to
!\$OMP end parallel	execute a structured block of code
integer function omp_get_num_threads()	Number of threads in a team (N)
integer function omp_get_thread_num()	Thread ID (from 0 to (N-1))
subroutine omp_set_num_threads(numthrds)	Set default number of threads to request
integer numthrds	when creating a team of threads
double precision function omp_get_wtime()	Wall clock time
export OMP_NUM_THREADS=N	Environment Variable: number of threads
!\$OMP barrier	Wait for all threads in the team
!\$OMP critical	Mutual exclusion synchronization
!\$OMP end critical	
!\$OMP do	Divide a loop's work between the team
[!\$OMP end do]	
100MD11-1 -1-	Construction theorem is a second of a
!\$OMP parallel do	Create a team then share work of a
[! \$OMP end parallel do]	loop across the team Reduction across a team
reduction(op: list ) schedule(static [, chunk])	Fixed loop-distribution at compile time
schedule(static [,chunk]) schedule(dynamic [,chunk])	Loop-distribution varies at runtime
private (list)	Create variable local to each thread/task
firstprivate ( list )	Create and initialize a private variable
shared(list)	Share a variable between threads/tasks
default (none)	Force explicit storage attribute definitions
nowait	Disable implied barriers
!\$OMP single	Workshare work so it is done
!\$OMP end single	by a single thread
!\$OMP task	Create an explicit task
!\$OMP end task	
!\$OMP taskwait	Wait for tasks to complete
	1 *

#### Figure 4.2: Shared data, private data, and parallel regions

Data movement and parallel regions — This simple program sets the default number of threads to request for a parallel region to 4. A parallel region is defined with a private clause so each thread has its own copy of ID. The thread ID is set and a simple subroutine is called. Key points form this program: (1) all the threads independently execute the same block of code in this parallel region, (2) all threads have access to the array declared prior to the parallel region, and (3) each thread has its own, private copy of the integer ID.

```
Program parReg
1
2
       use omp_lib
3
       implicit none
4
5
       real :: A(10)
6
       integer :: ID
7
8
      A = 0
9
       call omp_set_num_threads(4)
10
11
       !$omp parallel private(ID)
12
          ID = omp_get_thread_num() + 1
13
          call pooh (ID, A)
14
          write (*,100) ID, A(ID)
   100 format ("A of ID(", I3, ")=",f10.4)
15
16
       !$omp end parallel
17
18
       contains
19
       subroutine pooh (ID, A)
20
21
          integer :: ID
22
          real, dimension(:) :: A
23
          A(ID) = ID
24
       end subroutine pooh
25
26
   end Program parReg
```

#### Figure 4.3: Thread counts and IDs

Library routines to manage threads — This program shows how to set the default number of threads to request in parallel regions, query the number of threads in a team, and set a unique thread ID. Notice the care taken to avoid a data race when assigning to size\_of\_team.

```
Program parReg1
2
      use omp_lib
3
     implicit none
4
5
      integer :: ID, size_of_team, NThrds
6
      call omp_set_num_threads(4)
7
      !$omp parallel private(ID, NThrds)
8
         ID = omp_get_thread_num()
9
         NThrds = omp_get_num_threads()
10
         if (ID = 0) size_of_team = NThrds
11
      !$omp end parallel
12
     print *, "We just did the join on a team of size ", size_of_team
13
   end Program parReg1
```

Figure 4.5: The Pi program

Serial program to numerically estimate a definite integral using the midpoint rule – The loop iterations are independent other than the summation into sum.

```
1
             PROGRAM MAIN
2
              USE OMP_LIB
3
4
              IMPLICIT NONE
5
6
              INTEGER :: i
7
              INTEGER, PARAMETER :: num_steps = 100000000
8
              REAL*8 :: x, pi, sum, step
9
              REAL*8 :: start_time, run_time
10
11
              sum = 0.0
12
13
              step = 1.0 / num\_steps
              start_time = OMP_GET_WTIME()
14
15
              DO i = 1, num\_steps
16
                 x = (i - 0.5) * step
17
18
                 sum = sum + 4.0 / (1.0 + x * x)
19
              ENDDO
20
21
              pi = step * sum
22
              run_time = OMP_GET_WTIME() - start_time
23
24
              WRITE(*,100) pi, num_steps, run_time
             FORMAT('pi = ', f15.8, ',', i14, 'steps,', f8.3,' secs')
25
   100
26
              END PROGRAM MAIN
27
```

#### Page 59: Loop level parallelism with the SPMD pattern

```
integer :: i
ID = omp_get_thread_num()
numthreads = omp_get_num_threads()

do i = ID + 1, num_steps, numthreads
  ! body of the loop
end do
```

#### Figure 4.6: SPMD parallel Pi program

#### SPMD parallel numerical integration with cyclic distribution of the loop

**iterations** — The program computes the area of the curve defined by the integrand by filling the area under a curve with rectangles and summing up their areas. This version of the program promotes the accumulation variable sum to an array and uses a cyclic distribution of loop iterations between threads.

```
1
   PROGRAM MAIN
2
           USE OMP_LIB
3
           IMPLICIT NONE
4
5
           INTEGER, PARAMETER :: MAX.THREADS = 4
           INTEGER :: i, j, id, numthreads, nthreads
6
7
           INTEGER, PARAMETER :: num_steps = 100000000
8
           REAL*8 ::
                       pi, real_sum, step, x
9
           REAL*8 :: start_time, run_time
10
           REAL*8 :: sum(0:MAX\_THREADS-1)
11
12
           step = 1.0 / num_steps
13
           CALL OMP_SET_NUM_THREADS(MAX_THREADS)
14
15
            start_time = omp_get_wtime()
16
17
   !$OMP PARALLEL PRIVATE(id,x,numthreads)
18
           id = omp_get_thread_num()
           numthreads = OMP_GET_NUM_THREADS()
19
20
           sum(id) = 0.0
21
22
           IF (id == 0) THEN
23
               nthreads = numthreads
24
           ENDIF
25
           DO i = id, num\_steps - 1, numthreads
26
27
               x = (i + 0.5) * step
28
               sum(id) = sum(id) + 4.0 / (1.0 + x * x)
29
           ENDDO
   !$OMP END PARALLEL
30
31
```

```
pi = 0.0
32
33
           DO i = 0, nthreads-1
34
              pi = pi + sum(i)
35
           ENDDO
36
37
           pi = step * pi
38
           run_time = OMP_GET_WTIME() - start_time
39
           WRITE(*,100) pi, num_steps, run_time
           FORMAT('pi = ', f15.8, ',', i14, 'steps,',f8.3,' secs')
40
   100
41
           END PROGRAM MAIN
42
```

### Figure 4.7: SPMD Pi program with block-distribution of loop iterations

SPMD parallel numerical integration with block decomposition of the loop iterations – The parallel region from the code in Figure 4.6, but replacing the cyclic distribution of loop iterations with a block distribution.

```
1
           step = 1.0 / num_steps
2
3
   !$OMP PARALLEL PRIVATE(id,x,numthreads, istart,iend)
           id = omp_get_thread_num()
4
5
           numthreads = OMP_GET_NUM_THREADS()
6
           sum(id) = 0.0
7
           IF (id == 0) THEN
8
9
                nthreads = numthreads
10
           ENDIF
11
           istart = id * num_steps / numthreads + 1
12
           iend = (id+1) * num_steps / numthreads
13
14
            if (id = (numthreads -1)) iend = num_steps
15
16
           DO i = istart, iend
              x = (i - 0.5) * step
17
              sum(id) = sum(id) + 4.0 / (1.0 + x * x)
18
19
           ENDDO
   !$OMP END PARALLEL
20
```

#### Figure 4.9: Remove false sharing with a padded array

Padded sum array numerical integration — The sum array padded to fill an L1 cache line with the extra dimension and put subsequent rows of sum, i.e., each sum(0,id), on different cache lines.

```
PROGRAM MAIN
1
2
            USE OMP_LIB
3
            IMPLICIT NONE
4
5
           INTEGER :: i, j, id, numthreads, nthreads
6
           INTEGER, PARAMETER :: num_steps=100000000
7
           INTEGER, PARAMETER :: MAX_THREADS=4
8
           INTEGER, PARAMETER :: CBLK=8
9
           REAL*8 :: pi, step, x
10
           REAL*8 :: start_time, run_time
           REAL*8 :: sum(CBLK, 0: MAX\_THREADS-1)
11
12
13
            step = 1.0 / num_steps
14
            CALL OMP_SET_NUM_THREADS(MAX_THREADS)
15
16
            start_time = omp_get_wtime()
17
18
   !$OMP PARALLEL PRIVATE(id,x,numthreads)
            id = omp_get_thread_num()
19
20
            numthreads = OMP_GET_NUM_THREADS()
21
            sum(1, id) = 0.0
22
23
            IF (id == 0) THEN
24
                nthreads = numthreads
25
            ENDIF
26
27
           DO i = id, num\_steps-1, numthreads
28
               x = (i + 0.5) * step
29
               sum(1,id) = sum(1,id) + 4.0 / (1.0 + x * x)
30
           ENDDO
31
   !$OMP END PARALLEL
32
33
            pi = 0.0
```

```
DO i = 0, nthreads - 1
34
35
              pi = pi + sum(1,i)
36
           ENDDO
37
38
           pi = step * pi
           run_time = OMP_GET_WTIME() - start_time
39
40
           WRITE(*,100) pi, run_time, nthreads
           FORMAT('pi is', f15.8,' in ', f8.3,' secs and ', i3,' threads')
   100
41
42
           END PROGRAM MAIN
43
```

Figure 4.10: Mutual exclusion synchronization with critical

A critical section - consume() must be called by one thread at a time.

```
! sample compile command to generate the *.o object file:
2
   !
           gfortran -fopenmp -c Fig_4.10_crit.f90
3
   program crit
5
      use omp_lib
6
       implicit none
7
       real :: res = 0.0
8
       integer :: niters = 1000
9
       real :: B
10
       integer :: i, id, nthrds
11
12
       interface
13
          function big_job(i)
14
             real :: big_job
15
             integer , intent(in) :: i
16
          end function big_job
17
18
          function consume(a)
19
             real :: consume
20
             real, intent(in) :: a
          end function consume
21
22
      end interface
23
24
       !$omp parallel private (id, nthrds, B)
25
          id = omp_get_thread_num()
26
          nthrds = omp_get_num_threads()
27
          do i = id, niters - 1, nthrds
28
             B = big_{-j}ob(i)
29
             !$omp critical
30
                res = res + consume(B)
31
             !$omp end critical
32
          end do
33
       !$omp end parallel
34 end program crit
```

#### Figure 4.11: Pi program with a Critical section

Numerical integration with a critical section – The partial sums go into a private variable allocated by each thread. These private variables are extremely unlikely to reside on the same L1 cache lines and therefore, there will be no false sharing. The partial sums are combined inside a critical section so there is no data race.

```
1
           PROGRAM MAIN
2
            USE OMP_LIB
3
            IMPLICIT NONE
4
5
           INTEGER :: i, j, id, numthreads, nthreads
6
            INTEGER, PARAMETER :: num_steps=100000000
7
            INTEGER, PARAMETER :: MAX.THREADS=4
8
           REAL*8 :: pi, real_sum, step, full_sum, x
9
            REAL*8 :: start_time, run_time
10
           REAL*8 :: partial_sum
11
12
            full_sum = 0.0
13
14
            step = 1.0 / num_steps
15
16
            CALL OMP_SET_NUM_THREADS(MAX_THREADS)
            full_sum = 0.0
17
18
            start_time = OMP_GET_WTIME()
19
20
   !$OMP PARALLEL PRIVATE(i, id, numthreads, partial_sum, x)
21
            id = OMP\_GET\_THREAD\_NUM()
22
            numthreads = OMP_GET_NUM_THREADS()
23
            partial_sum = 0.0
24
           if (id == 0) nthreads = numthreads
25
26
           DO i = id, num\_steps-1, numthreads
27
28
               x = (i + 0.5) * step
               partial\_sum = partial\_sum + 4.0/(1.0+x*x)
29
30
           ENDDO
31
32
   !$OMP CRITICAL
```

```
full_sum = full_sum + partial_sum
33
   !$OMP END CRITICAL
34
35
36
   !$OMP END PARALLEL
37
           pi = step * full_sum
38
39
           run_time = OMP_GET_WTIME() - start_time
           WRITE(*,100) pi, run_time, nthreads
40
   100
           FORMAT('pi is', f15.8,' in ', f8.3,' secs and ', i3,' threads')
41
42
           END PROGRAM MAIN
43
```

#### Figure 4.12: Barrier synchronization

**Example of an explicit barrier** – An explicit barrier is used to assure that all threads complete filling the array **Arr** before using it to compute **Brr**. We assume the SPMD pattern so we pass the thread id and the number of threads to all the functions. Notice that only one thread saves the number of threads to a shared variable should it be needed after the parallel region.

```
real *8 :: Arr(8), Brr(8)
   integer :: numthrds
   integer :: id, nthrds
   real *8, external :: lots_of_work, needs_all_of_Arr
5
6
   call omp_set_num_threads(8)
   !$omp parallel private (id, nthrds)
8
      id = omp_get_thread_num() + 1
9
      nthrds = omp_get_num_threads()
10
      if (id = 1) numthrds = nthrds
11
      Arr(id) = lots\_of\_work(id, nthrds)
12
   !$omp barrier
13
      Brr(id) = needs_all_of_Arr(id, nthrds, Arr)
   !$omp end parallel
14
```

#### Page 75: Basic vector addition loop

```
do i = 1, \mathbb{N}
a(i) = a(i) + b(i)
end do
```

Figure 5.1: SPMD pattern for loop-level parallelism

**SPMD parallel vector add program** – Create a team of threads and assign one chunk of loop iterations to each thread.

```
1
   ! OpenMP parallel region and SPMD pattern
2
3
   integer :: id, i, Nthrds, istart, iend
4
5
   !$omp parallel private(id, i, istart, iend, Nthrds)
6
      id = omp_get_thread_num()
7
      Nthrds = omp_get_num_threads()
      istart = id * N / Nthrds + 1
8
      iend = (id + 1) * N / Nthrds
9
      if (id = Nthrds - 1) iend = N
10
11
      do i = istart, iend
12
         a(i) = a(i) + b(i)
13
      end do
   !$omp end parallel
```

#### Page 76: Worksharing-loop directives

```
!$omp do ....!$omp end do
```

#### Figure 5.2: The worksharing-loop construct

Loop-level parallelism for the vector add program – We create a team of threads and then add a single directive to split up loop iterations among threads.

```
1
  ! OpenMP parallel region and a worksharing-loop construct
2
3
  !$omp parallel
4
      !$omp do
5
         do i = 1, N
6
            a(i) = a(i) + b(i)
7
         end do
      !$omp end do
8
  !$omp end parallel
```

## Page 77: Standard do loop format to use with a worksharing-loop construct

```
do i = init, end, incr
    structured block
end do
```

Figure 5.3: Parallel and worksharing-loop constructs

An example of a parallel worksharing-loop construct – Create multiple threads, then split the loop iterations among multiple threads to share the work.

```
1 !$omp parallel
2 !$omp do
3 do i = N, 0, -2
4 call NEAT_STUFF(i)
5 enddo
6 !$omp end do
7 !$omp end parallel
```

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#### Page 79: Combined parallel worksharing-loop construct

The following pattern with a pair of OpenMP constructs, one to create the team of threads and the other to split up loop iterations among threads, is very common:

As a convenience, these two directives can be combined into a single directive:

```
!$omp parallel do
     do-loop
!$omp end parallel do
```

#### Figure 5.4: A simple program with a reduction

**A** serial reduction example – This loop has a loop-carried dependence through the variable *ave* and therefore, the loop cannot be parallelized with a worksharing-loop directive without completely changing the body of the loop.

```
1
          integer :: i
2
          real*8 :: ave, A(N)
3
4
          call Init (A,N)
5
          ave = 0.0
6
7
          do i = 1, N
8
             ave = ave + A(i)
9
          enddo
10
          ave = ave/N
```

#### Figure 5.5: Worksharing-loop with a reduction

An OpenMP reduction —Each thread has a private copy of the variable ave to use for its loop iterations. At the end of the loop, these values are combined to create the final value of the reduction which is then combined with the globally visible, shared copy of the variable ave.

```
1
           integer :: i
2
           real*8 :: ave, A(N)
3
           call Init (A,N)
4
5
           ave = 0.0
6
7
           !$omp parallel do reduction(+:ave)
8
           do i = 1, N
9
               ave = ave + A(i)
10
           end do \\
11
           !$omp end parallel do
12
13
           ave = ave/N
```

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#### Figure 5.6: Loop schedules specified "at compile time"

A worksharing-loop with a static schedule – In this example, the work is predictable and balanced for each loop index. Using the static schedule is expected to work best in this case.

```
1
   program main
2
       use omp_lib
3
       implicit none
4
   ! Use a smaller value of ITER if available memory is too small
6
       integer, parameter :: ITER = 100000000
7
       integer :: i, id
8
       real *8 :: A(iter)
9
       real*8 :: tdata
10
       real :: x
11
12
       do i = 1, ITER
13
          A(i) = 2.0 * i
14
       enddo
15
16
       !$omp parallel private (id, tdata, x)
17
18
          id = omp_get_thread_num()
19
          tdata = omp_get_wtime()
20
21
          !$omp do schedule(static)
22
          do i = 1, ITER
23
             x = i * 1.0
24
             A(i) = A(i) * \operatorname{sqrt}(x) / (\sin(x) * * \tan(x))
25
          enddo
26
27
          tdata = omp_get_wtime() - tdata
28
29
          if (id == 0) print *, "Time spent is ", tdata, " sec"
30
31
       !$omp end parallel
   end program main
```

#### Figure 5.7: Dynamic loop schedules that vary at runtime

A worksharing-loop with a dynamic schedule – In this program, the work per iteration is highly variable. The dynamic schedule should be much better at balancing the load across the team of threads.

```
1
    program main
2
3
       use omp_lib
4
       implicit none
5
6
   ! Use a smaller value of ITER if available memory is too small
7
      integer, parameter :: ITER = 50000000
8
       integer :: i, id
9
       real*8 :: tdata
10
       integer :: sum = 0
11
12
       !$omp parallel private (i, id, tdata)
13
         id = omp_get_thread_num()
14
          tdata = omp_get_wtime()
15
       !$omp do reduction (+:sum) schedule(dynamic)
16
17
          do i = 2, ITER
18
             if (check\_prime(i) == 1) sum = sum + 1
19
          enddo
20
       !$omp end do
21
22
          tdata = omp_get_wtime() - tdata
23
24
          if (id == 0) print *, "Number of prime numbers is ", &
25
                       & sum, "in ", tdata, " sec"
26
       !$omp end parallel
27
28
       contains
29
          integer function check_prime (num)
30
             implicit none
31
             integer, intent (in) :: num
32
             integer :: i, iend
33
```

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```
iend = int (sqrt(num*1.0))
34
35
             do i = 2, iend
36
                if (mod(num, i) = 0) then
37
                    check_prime = 0
38
                    return
39
                endif
40
             enddo
41
42
             check\_prime = 1
43
44
          end function check_prime
45
46 end program main
```

Figure 5.8: Using nowait to disable implied barriers

Using a nowait clause with worksharing-loops – In this example, we explore the need for barriers and cases where they can be disabled with a nowait clause.

```
real *8 :: A(big), B(big), C(big)
   integer :: id
3
4
   !$omp parallel private(id)
      id = omp_get_thread_num() + 1
5
6
      A(id) = big\_calc1(id)
7
8
       !$omp barrier
9
10
       !$omp do
11
          do i = 1, N
            B(i) = big_calc2(C, i)
12
13
          end do
14
       !$omp enddo nowait
15
16
      A(id) = big_calc4(id)
17
   !$omp end parallel
```

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### Figure 5.9: A particularly simple parallel Pi program

Pi program with a worksharing-loop and a reduction – The program computes the integral of a function by filling the area under a curve with rectangles and summing their areas. Loop iterations are divided among threads by the compiler under direction of the worksharing-loop construct. The reduction creates a private copy of sum for each thread, initializes it to zero, accumulates partial sums into the sum variable, and then combines partial sums to generate the global sum.

```
1
              PROGRAM MAIN
2
              USE OMP_LIB
3
              IMPLICIT NONE
4
5
              INTEGER :: i, id
6
              INTEGER, PARAMETER :: num_steps=100000000
7
              INTEGER :: NTHREADS = 4
8
              REAL*8 :: x, pi, sum, step
9
              REAL*8 :: start_time, run_time
10
11
              sum = 0.0
12
              step = 1.0 / num_steps
13
              start_time = OMP_GET_WTIME()
14
15
              CALL OMP_SET_NUM_THREADS(NTHREADS)
16
17
   !$OMP PARALLEL PRIVATE(i,x)
18
   !$OMP DO REDUCTION(+:sum)
19
              DO i = 1, num\_steps
20
                 x = (i - 0.5) * step
21
                 sum = sum + 4.0 / (1.0 + x * x)
22
              ENDDO
23
   !$OMP END DO
   !$OMP END PARALLEL
24
25
26
              pi = step * sum
27
              run_time = OMP_GET_WTIME() - start_time
28
              WRITE(*,100) pi, run_time
29
   100
              FORMAT('pi is ', f15.8,' in ', f8.3,' secs')
30
              END PROGRAM MAIN
```

### Figure 5.10: Making loop iterations independent

**Loop dependence example** —The first loop is sequential and contains a loop-carried dependence. The value of j for a loop index is dependent on the value of j for the previous loop index. In the parallel code in the second loop, the loop-carried dependence has been removed by calculating j from the loop control index.

```
1
   ! Sequential code with loop dependence
2
           integer :: i, j, A(MAX)
3
           j = 5
4
           do i = 1, MAX
5
                j = j + 2
6
               A(i) = big(j)
7
           end do
8
9
   ! parallel code with loop dependence removed
10
           integer :: i, j, A(MAX)
           !$omp parallel do private(j)
11
12
           do i = 1, MAX
13
                do j = 5 + 2*(i+1)
14
                   A(i) = big(j)
15
               end do
16
            end do
17
   !$omp end parallel do
```

### Firgure 6.1: How data is stored by default

An example of default storage attributes – A, index, count are shared variables since A is a global variable defined in a module, index is defined prior to the parallel region, and count is a saved variable. temp is a private variable since it is declared inside the parallel region.

```
1
   ! File #1:
   module data_mod
3
       real *8 :: A(10)
   end module data_mod
5
6
   program main
7
       use data_mod
8
       implicit none
9
       integer :: index(10)
10
       !$omp parallel
11
          call work (index)
12
       !$omp end parallel
13
       print *, index (1)
14
   end program main
15
16
17
   ! File #2:
18
   subroutine work (index)
19
       use data_mod
20
       implicit none
21
       integer :: index
22
       real*8 :: temp(10)
23
       integer, save :: count
24
25
   end subroutine work
```

### Figure 6.3: The shared and private clauses

The shared clause — An example of a shared clause on a parallel construct. Strictly this clause is not needed. It is included in this case to remind the programmer that of the three variables A, B, and C, only B and C are shared. A copy of the variable A is created for each thread by the clause private(A).

```
! sample compile command to generate *.o object file:
2
        gfortran -fopenmp -c Fig_6.3_sharedEx.f90
3
4
   program sharedEx
5
      use omp_lib
6
      implicit none
7
      integer :: A, B, C
8
9
      interface
10
          subroutine initialize (A, B, C)
11
          integer, intent(out) :: A, B, C
12
          end subroutine
13
      end interface
14
15
      call initialize (A, B, C)
16
17
      ! remember the value of A before the parallel region
18
      print *, 'A before =', A
19
20
   !$omp parallel shared (B,C) private(A)
21
      A = omp_get_thread_num()
22
      !$omp critical
23
         C = B + A
24
      !$omp end critical
25
   !$omp end parallel
26
27
      ! A in the parallel region goes out of scope, we revert
28
      ! to the original variable for A
      print *, 'A after = ', A, ' and C = ', C
29
30
31
   end program sharedEx
```

### Figure 6.4: The Private clause (note: this program is not correct)

An example of a private clause – The original variable tmp is masked by the private copy of the variable inside the parallel do region. This program is incorrect since a private variable is not initialized.

```
! sample compile command to generate *.o object file:
2
      gfortran -fopenmp -c Fig_6.4_wrongPrivate.f90
3
4
   program wrong
5
      integer :: tmp
6
      tmp = 0
7
8
   !$omp parallel do private(tmp)
9
      do j = 1, 1000
10
         tmp = tmp + j
11
      enddo
12
   !$omp end parallel do
13
14
                      ! tmp is 0 here
      print *, tmp
   end program wrong
```

## Figure 6.5: OK to use a local variable of same name outside of a module

A second example of the private clause – This Fortran program works (unlike the corresponding C code which has a subtle bug). tmp is a local variable in subroutine OK, not the one from the module file as updated in subroutine work, hence the value printed in line 13 should be the same as the original value 0 as defined in line 9 before the parallel region.

```
! File #1
1
   module data_mod
3
       integer :: tmp
   end module data_mod
5
   subroutine OK()
6
7
       implicit none
8
       integer :: tmp
9
      tmp = 0
10
       !$omp parallel private(tmp)
           call work()
11
12
       !$omp end parallel
13
       print *, tmp
                         ! tmp is 0, same as the original local value
14
                         ! defined before the parallel region
15
   end subroutine OK
16
17
   ! File #2
18
   subroutine work()
      use data_mod
19
20
       implicit none
21
      tmp = 5
22
   end subroutine work
```

## Figure 6.6: Creating private variables that are initialized

Example of using the firstprivate clause – incr is a firstprivate variable so it is private to each thread and has an initial value (zero).

```
1 incr = 0
2 !$omp parallel do firstprivate(incr)
3          do i = 1, MAX
4          if (mod(i,2) == 0) incr = incr + 1
5                A(i) = incr
6          end do
7 !$omp end parallel do
```

Figure 6.7: Data environment quiz

An OpenMP data environment quiz – Consider the storage attributes and values for A, B and C.

```
\begin{array}{lll} 1 & A=1\\ 2 & B=1\\ 3 & C=1\\ 4 & !\$omp\ parallel\ private(B)\ firstprivate(C) \end{array}
```

#### Figure 6.8 and 6.9: Find the area of the Mandelbrot set

Mandelbrot set area: original code with errors – This version of the program has multiple bugs. Your job is to inspect the code and find the bugs.

```
PROGRAM: Mandelbrot area
!C
!C PURPOSE: Program to compute the area of a Mandelbrot set.
!C
             Correct answer should be around 1.510659.
!C
             WARNING: this program may contain errors
!C
! C
   USAGE:
            Program runs without input ... just run the executable
!C
       MODULE mandel_module
       implicit none
       INTEGER, PARAMETER :: DP = SELECTED_REAL_KIND(14)
       REAL(KIND = DP) :: r
       INTEGER, PARAMETER :: NPOINTS=1000
       INTEGER, PARAMETER :: MAXITER=1000
       INTEGER :: numoutside=0
       TYPE d_complex
         REAL(KIND = DP) :: r
         REAL(KIND = DP) :: i
       END TYPE d_complex
       TYPE(d_complex) :: c
       contains
         SUBROUTINE testpoint()
```

!C iterate over z=z\*z+c. |z| > 2 means the point is outside set

```
{\tt !C} If loop count reaches MAXITER, point is {\tt inside} the set
          implicit none
          TYPE(d_complex) :: z
          INTEGER :: iter
          REAL(KIND = DP) :: temp
          z = c
          DO iter = 1, MAXITER
             temp = (z\%r*z\%r) - (z\%i*z\%i) + c\%r
             z\%i = z\%r*z\%i*2 + c\%i
             z\%r = temp
             IF ((z\%r*z\%r + z\%i*z\%i) > 4.0) THEN
                numoutside = numoutside + 1
                EXIT
             ENDIF
          ENDDO
          END SUBROUTINE
       END MODULE mandel_module
       PROGRAM mandel_wrong
       USE OMP_LIB
       USE mandel_module
       IMPLICIT NONE
       INTEGER :: i, j
       REAL(KIND = DP) :: area, error
       REAL(KIND = DP) :: eps = 1.0e-5
!C
    Loop over grid of complex points in the domain of the
!C
    Mandelbrot set, testing each point to see whether it is
!C
    inside or outside the set.
```

```
!$OMP PARALLEL DO DEFAULT(shared) PRIVATE(c,eps)
      DO i = 1, NPOINTS
      DO j = 1, NPOINTS
         c\%r = -2.0 + 2.5 * DBLE(i-1) / DBLE(NPOINTS) + eps
         c\%i = 1.125 * DBLE(j-1) / DBLE(NPOINTS) + eps
         CALL testpoint()
      ENDDO
      ENDDO
!$OMP END PARALLEL DO
!C Calculate area of set and error estimate and output the results
      area = 2.0 * 2.5 *1.125 * DBLE(NPOINTS*NPOINTS - numoutside) &
             /DBLE(NPOINTS*NPOINTS)
      error = area / DBLE(NPOINTS)
      PRINT *, "numoutside=", numoutside
      WRITE(*,100) area, error
100
      FORMAT("Area of Mandlebrot set = ", f12.8, " +/-", f12.8)
      PRINT *, "Correct answer should be around 1.510659"
      END PROGRAM mandel_wrong
```

### Figures 6.10 and 6.11: Debugging the Mandelbrot set program

Mandelbrot set area solution – c is passed as an argument to subroutine testpoint. eps is declared as firstprivate and the inner loop index j is declared as private.

```
!C PROGRAM: Mandelbrot area
!C
!C PURPOSE: Program to compute the area of a Mandelbrot set.
!C
            Correct answer should be around 1.510659.
!C
!C USAGE:
           Program runs without input ... just run the executable
!C
      MODULE mandel_par_module
      implicit none
      INTEGER, PARAMETER :: DP = SELECTED_REAL_KIND(14)
      INTEGER, PARAMETER :: NPOINTS=1000
      INTEGER, PARAMETER :: MAXITER=1000
      INTEGER :: numoutside=0
      TYPE d_complex
         REAL(KIND = DP) :: r
         REAL(KIND = DP) :: i
      END TYPE d_complex
      contains
         SUBROUTINE testpoint(c)
!C iterate over z=z*z+c. |z| > 2 means the point is outside set
!C If loop count reaches MAXITER, point is inside the set
          implicit none
         TYPE(d_complex) :: z,c
          INTEGER :: iter
```

```
z = c
          DO iter = 1, MAXITER
             temp = (z\%r*z\%r) - (z\%i*z\%i) + c\%r
             z%i = z%r*z%i*2 + c%i
             z\%r = temp
             IF ((z\%r*z\%r + z\%i*z\%i) > 4.0) THEN
                !$OMP CRITICAL
                    numoutside = numoutside + 1
                !$OMP END CRITICAL
                EXIT
             ENDIF
          ENDDO
          END SUBROUTINE
      END MODULE mandel_par_module
       PROGRAM mandel_par
      USE OMP_LIB
      USE mandel_par_module
       IMPLICIT NONE
       INTEGER :: i, j
          REAL(KIND = DP) :: area, error
         REAL(KIND = DP) :: eps = 1.0e-5
      TYPE(d_complex) :: c
!
       CALL OMP_SET_NUM_THREADS(4)
!C
   Loop over grid of complex points in the domain of the
```

REAL(KIND = DP) :: temp

```
!C
    Mandelbrot set, testing each point to see whether it is
!C
    inside or outside the set.
!$OMP PARALLEL DO DEFAULT(shared) FIRSTPRIVATE(eps) PRIVATE(c,j)
       DO i = 1, NPOINTS
       DO j = 1, NPOINTS
          c\%r = -2.0 + 2.5 * DBLE(i-1) / DBLE(NPOINTS) + eps
          c\%i = 1.125 * DBLE(j-1) / DBLE(NPOINTS) + eps
          CALL testpoint(c)
       ENDDO
       ENDDO
!$OMP END PARALLEL DO
{\tt !C} Calculate area of set and error estimate and output the results
       write(*,*)"numoutside=", numoutside
       area = 2.0*2.5*1.125 * DBLE(NPOINTS*NPOINTS - numoutside)
              / DBLE(NPOINTS*NPOINTS)
       error = area / DBLE(NPOINTS)
       WRITE(*,100) area, error
100
       FORMAT("Area of Mandlebrot set = ", f12.8, f12.8)
       WRITE(*,*) "Correct answer should be around 1.510659"
       END PROGRAM mandel_par
```

## Figure 6.12: Worksharing-loops and data environment clauses help us write particularly simple parallel Pi programs

Pi Program with combined parallel worksharing-loop and reduction – Each thread accumulates its local sum that is later combined into the global sum with the reduction operation. Variable x is declared as private with a data environment clause.

```
1
             PROGRAM MAIN
2
              USE OMP_LIB
3
              IMPLICIT NONE
4
5
              INTEGER :: i, id
6
              INTEGER, PARAMETER :: num_steps=100000000
7
              INTEGER :: NTHREADS = 4
8
              REAL*8 x, pi, sum, step
9
              REAL*8 start_time, run_time
10
11
              sum = 0.0
12
              step = 1.0 / num_steps
13
14
              CALL OMP_SET_NUM_THREADS(NTHREADS)
15
              start_time = OMP_GET_WTIME()
16
   !$OMP PARALLEL DO PRIVATE(i,x) REDUCTION(+:sum)
17
18
             DO i = 1, num_steps
19
                 x = (i - 0.5) * step
20
                 sum = sum + 4.0 / (1.0 + x * x)
21
             ENDDO
22
   !$OMP END PARALLEL DO
23
24
              pi = step * sum
25
              run_time = OMP_GET_WTIME() - start_time
26
              WRITE(*,100) pi, run_time
             FORMAT('pi is ', f15.8,' in ', f8.3,' secs')
27
   100
28
29
             END PROGRAM MAIN
```

### Figure 6.13: Static arrays in data environment clauses

Static arrays in data environment clauses – The compiler creates a private array with 1000 values of type int on the stack for each thread.

```
int varray(1000)
call initv(1000, varray)   ! function to initialize the array
!$omp parallel private(varray)
   ! body of parallel region not shown
!$omp end parallel
```

## Figure 6.14: Data environment clauses with dynamic arrays and pointers

Dynamic arrays and pointers in data environment clauses – The compiler gives each thread its own pointer pointing to the same block of memory.

```
real, pointer :: vptr(:)
allocate (vptr(1000))
call initv(1000, vptr) ! function to initialize the array
!$omp parallel firstprivate(vptr)
! body of parallel region not shown
!$omp end parallel
```

## Page 119: Array sections

You define an array section in terms of the lower-bound and the upper-bound of the section.

```
(lower-bound:upper-bound)
(:upper-bound) ! lower-bound implied as one
```

We can use an array section in a reduction where we copy a section of an array into a private copy of that array for each thread. That private copy of the array section is used in the reduction.

```
!$omp parallel for reduction(+:vptr(1:1000))
```

## Tasks in OpenMP

## Figure 7.1: Traversing a linked list

Serial linked list program—Traverse the linked list and do a block of work (processwork(p)) for each node in the list where we assume processwork(p) for any node is independent of the other nodes.

# Figure 7.2: Traversing a linked list in parallel using worksharing-loop constructs

Parallel linked list program without using tasks – Three passes through the data to count the length of the list, collect values into an array, and process the array in parallel. This is an example of the inspector-executor design pattern.

```
! sample compile command to generate *.o object file:
         gfortran -fopenmp -c Fig_7.2_linkedListNoTasks.f90
3
4
   module list_mod
5
      integer, parameter :: NMAX = 10
6
      type :: node
7
          integer :: data
8
          integer :: procResult
9
          type(node), pointer :: next
10
      end type node
11
   end module list_mod
12
13
   program main
14
      use list_mod
15
      implicit none
16
17
      type(node), pointer :: p => null()
18
      type (node), pointer :: temp => null()
19
      type(node), pointer :: head => null()
20
      type (node), dimension (:), allocatable, target :: parr
21
22
      interface
23
      ! initialize the list (not shown)
24
          subroutine initList(p)
25
             use list_mod
26
             implicit none
27
             type(node), pointer :: p
          end subroutine initList
28
29
30
      ! a long computation (not shown)
          integer function work(data)
31
32
             implicit none
```

```
33
              integer :: data
34
          end function work
35
       end interface
36
37
       integer :: i, count
38
39
       call initList(p)
40
41
       ! save head of the list
42
       head \Rightarrow p
43
44
       count = 0
45
       do
          p = p\%next
46
47
          count = count + 1
48
          if (.not. associated(p)) exit
49
       end do
50
51
       allocate (parr (count))
52
53
       p \implies head
       do i = 1, count
54
55
          parr(i)%data = p%data
          p \implies p\%next
56
       end do
57
58
59
       !$omp parallel do schedule(static,1)
60
       do i = 1, count
           call procWork(parr(i))
61
62
       end do
63
       !$omp end parallel do
64
65
      contains
66
67
      subroutine procWork (a_node)
         use list_mod
68
69
         implicit none
70
         type(node) :: a_node
71
         integer :: n
```

```
72 integer, external :: work
73 n = a_node%data
74 a_node%procResult = work(n)
75 end subroutine procWork
76
77 end program main
```

### Figure 7.4: A simple program with OpenMP tasks

Schrödinger's Program – Two threads each generates two tasks. They wait a random bit of time and then set a shared variable to true or false. Whichever task executes last determines the final value of the variable and whether the cat is "dead" or "alive".

```
1
      Schrodingers racy program ... is the cat dead or alive?
2
   !
   !
3
      You can use atomics and make the program race free, or comment out
      the atomics and run with a race condition. It works in both cases
4
   !
5
6
   !
      History: Written by Tim Mattson, Feb 2019
   !
7
                Converted to Fortran by Helen He, Nov 2019
8
9
10
   program main
11
      use omp_lib
12
      implicit none
13
14
      ! random number generator parameters
15
      ! (from numerical recipies)
16
      integer, parameter :: MULT = 4096
17
      integer, parameter :: ADD = 150889
18
      integer, parameter :: MOD_val = 714025
19
20
      real*8 :: wait_val, val
21
      integer *8 :: rand, i, dcount, lcount, coin
22
      logical :: dead_or_alive, HorT
23
      integer, parameter :: NTRIALS = 10
24
25
      dcount = 0
26
      lcount = 0
27
      do i = 1. NTRIALS
28
29
      !$omp parallel num_threads(2) shared(dead_or_alive) private(val)
30
           if (omp\_get\_thread\_num() == 0) then
             print *, " with ", omp_get_num_threads(), " threads."
31
32
             write(*, '(a)', advance='no')" Schrodingers program says the cat is "
33
           endif
```

```
34
35
           !$omp single
              ! "flip a coin" to choose which task is for the dead
36
37
              ! cat and which for the living cat.
              call seedIt (coin)
38
39
              HorT = flip(coin)
40
41
              ! without the atomics, these tasks are participating in a data race
42
              !$omp task
43
                  val = waitAbit()
44
                  ! a store of a single machine word (bool)
45
                  !$omp atomic write
                      dead_or_alive = HorT
46
47
                  !$omp end atomic
48
              !$omp end task
49
              !$omp task
50
                  val = waitAbit()
51
                  ! a store of a single machine word (bool)
52
                  !$omp atomic write
53
                      dead_or_alive = .not. HorT
                  !$omp end atomic
54
55
              !$omp end task
56
           !$omp end single
57
       !$omp end parallel
58
59
       if (dead_or_alive) then
60
           print *, " alive."
61
           lcount = lcount + 1
62
       else
           print *, " dead."
63
64
           dcount = dcount + 1
65
       endif
                ! end loop over trials (for testing only)
66
       end do
67
       print *, " dead ", dcount, " times", " and alive ", lcount, " times."
68
69
70
       contains
71
   ! seed the pseudo random sequence with time of day
```

```
73
         subroutine seedIt(val)
74
            implicit none
75
            integer*8 :: val
            val = int (omp_get_wtime())
76
77
        end subroutine seedIt
78
79
    ! Linear congruential random number generator
80
       integer *8 function nextRan(last) result(next)
81
           implicit none
82
           integer *8, intent(in) :: last
83
           next = mod(MULT*last+ADD, MOD_val)
84
       end function nextRan
85
86
87
    ! flip a coin ... heads (true) or tails (false)
88
       logical function flip (coin)
89
           implicit none
90
           integer *8 :: coin
91
           coin = nextRan(coin)
92
           if (coin > MOD_val/2) then
              flip = .true.
93
94
           else
95
              flip = .false.
96
           endif
       end function flip
97
98
99
    ! wait a short random amount of time
100
       real*8 function waitAbit() result(val)
101
           implicit none
102
           integer *8 :: i, count, rand
103
           val = 0.0
           call seedIt (rand)
104
105
           count = nextRan(rand)
106
107
           ! do some math to make us wait a while
108
           do i = 1, count
109
              rand = nextRan(rand)
110
              val = val + dble(rand)/dble(MULT)
111
           end do
```

end function waitAbit

113

114 end program main

### Figure 7.5: Single worksharing construct

An OpenMP single construct example – All threads execute do\_many\_things and do\_many\_other\_things, but only one thread executes exchange\_boundaries.

```
!$omp parallel
   call do_many_things()
   !$omp single
      call exchange_boundaries()
   !$omp end single
   call do_many_other_things()
!$omp end parallel
```

### Figure 7.6: Creating explicit tasks

A basic task example – Inside a parallel region, 3 tasks are created by a single thread.

```
!$omp parallel
1
2
       !$omp single
3
          !$omp task
4
             call fred()
5
          !$omp end task
6
          !$omp task
7
             call daisy()
8
          !$omp end task
9
          !$omp task
10
             call billy()
11
          !$omp end task
12
       !$omp end single
13
   !$omp end parallel
```

### Figure 7.7: waiting for tasks to finish with taskwait

A taskwait example - Tasks fred and daisy must complete before task billy starts.

```
1
   !$omp parallel
2
       !$omp single
3
          !$omp task
              call fred()
4
5
          !$omp end task
6
          !$omp task
7
              call daisy()
8
          !$omp end task
9
          !$omp taskwait
10
          !$omp task
11
              call billy ()
12
          !$omp end task
13
       !$omp end single
14
   !$omp end parallel
```

Figure 7.8: How data moves between tasks

Tasks data environment example – A is shared, B is firstprivate, and C is private.

```
1 integer :: C
2 !$omp parallel shared(A) private(B)
3     ...
4  !$omp task private(C)
5     call compute(A, B, C)
6  !$omp end task
7 !$omp end parallel
```

## Figure 7.9: Tasks make parallel linked list traversal really simple

**Linked list with tasks** – The implementation with OpenMP tasks is much more elegant than the three-pass solution in Figure 7.2.

```
!$omp parallel
1
2
       !$omp single
3
          p \implies head
4
          do
5
              !$omp task firstprivate(p)
6
                 call processwork(p)
7
              !$omp end task
8
              p \implies p\%next
9
              if (.not. associated(p)) exit
10
          end do
11
       !$omp end single
12
   !$omp end parallel
```

Figure 7.10: A really inefficient way to compute Fibonacci numbers

Fibonacci example – This is the serial recursive implementation.

```
1
   recursive integer function fib (n) result (res)
2
       implicit none
      integer , intent(in) :: n
3
4
       integer :: x, y
5
       if (n < 2) then
6
          res = n
7
       else
          x = fib(n-1)
8
9
          y = fib(n-2)
10
          res = x + y
       endif
11
   end function fib
12
13
14
   program main
15
       implicit none
16
17
       interface
18
          function fib (n)
19
             integer :: fib
20
             integer , intent(in) :: n
21
          end function fib
22
      end interface
23
24
      integer :: NW, result
      NW = 30
25
26
      result = fib (NW)
       print *, "fib (",NW,")=", result
27
28
   end program main
```

# Figure 7.11: Parallel Fibonacci program using the divide and conquer pattern

### Parallel implementation of the Fibonacci program using OpenMP tasks

— Two tasks create child tasks recursively. taskwait ensures the direct child tasks complete before the merge. The base case to exit the recursion is defined for when n < 2. code:fibonacciTasks

```
1
   recursive integer function fib (n) result (res)
2
       use omp_lib
3
       implicit none
4
5
       integer, intent(in) :: n
6
       integer :: x, y
7
       if (n < 2) then
8
          res = n
9
       else
10
          !$omp task shared (x)
11
             x = fib(n-1)
12
          !$omp end task
13
          !$omp task shared (y)
14
              y = fib(n-2)
15
          !$omp end task
16
          !$omp taskwait
17
          res = x + y
18
       endif
19
   end function fib
20
21
   program main
22
       use omp_lib
23
       implicit none
24
25
       interface
26
          function fib (n)
27
             integer :: fib
28
             integer, intent(in) :: n
29
          end function fib
30
       end interface
31
```

```
32
      integer :: NW, result
33
      NW = 30
34
      !$omp parallel
35
          !$omp single
36
             result = fib (NW)
37
          !$omp end single
38
      !$omp end parallel
      print *, "fib(",NW,")=", result
39
40 end program main
```

Figure 7.13: The Pi program (from Figure 4.5)

Serial Pi program to numerically estimate a definite integral using the midpoint rule – The loop iterations are independent other than the summation into sum.

```
PROGRAM MAIN
1
2
3
              USE OMP_LIB
4
              IMPLICIT NONE
5
6
              INTEGER :: i
7
              INTEGER, PARAMETER :: num_steps = 100000000
8
              REAL*8 :: x, pi, sum, step
9
              REAL*8 :: start_time, run_time
10
11
              sum = 0.0
12
13
              step = 1.0/num_steps
              start_time = OMP_GET_WTIME()
14
15
              DO i = 1, num\_steps
16
                 x = (i - 0.5) * step
17
18
                 sum = sum + 4.0 / (1.0 + x * x)
19
              ENDDO
20
21
              pi = step * sum
22
              run_time = OMP_GET_WTIME() - start_time
23
24
              WRITE(*,100) pi, num_steps, run_time
25
   100
              FORMAT('pi = ', f15.8, ',', i14, ' steps,', f8.3,' secs')
26
27
              END PROGRAM MAIN
```

### Figure 7.14: Serial recursive Pi program

Serial Pi program using the divide and conquer pattern —Just to make the code simpler, we pick a number of steps that is a power of 2. This way we can split the number of steps in half repeatedly and always create intervals that are divisible by 2.

```
1
   module data_mod
2
      integer, parameter :: num_steps = 1024*1024*1024
3
      integer, parameter :: MIN_BLK = 1024*256
4
5
      contains
6
          real *8 recursive function pi_comp(Nstart, Nfinish, step) result(sum)
7
             implicit none
8
9
             integer, intent(in) :: Nstart, Nfinish
10
             real*8 :: x, sum1, sum2, step
             integer :: i, iblk
11
12
13
             sum = 0.0
14
15
             if (Nfinish - Nstart < MIN_BLK) then
                do i = Nstart, Nfinish - 1
16
17
                   x = (i + 0.5) * step
18
                  sum = sum + 4.0 / (1.0 + x * x)
19
                enddo
20
             else
21
                iblk = Nfinish - Nstart
22
                sum1 = pi\_comp(Nstart, Nfinish - iblk/2, step)
23
                sum2 = pi_comp(Nfinish - iblk/2, Nfinish, step)
24
                sum = sum1 + sum2
25
             endif
26
27
         end function
28
29
   end module data_mod
30
   program main
31
32
      use data_mod
33
      implicit none
```

```
34
35
      integer :: i
36
      real*8 :: pi, sum, step
37
38
      step = 1.0 / num\_steps
39
      sum = pi_comp(0, num_steps, step)
40
      pi = step * sum
41
42
      WRITE(*,100) pi, num_steps
             FORMAT('pi = ', f15.8, ',', i14, ' steps')
43 100
44
45 end program main
```

### Figure 7.15: Parallel recursive Pi program

Parallel Pi program using tasks – It is accomplished with the divide and conquer pattern by splitting the problem into two subtasks to calculate *sum1* and *sum2*, recursively solving each task, and then combining the results.

```
1
   module data_mod
2
      integer, parameter :: num_steps = 1024*1024*1024
3
      integer, parameter :: MIN_BLK = 1024*256
4
5
      contains
6
          real *8 recursive function pi_comp(Nstart, Nfinish, step) result(sum)
7
             use omp_lib
8
             implicit none
9
10
             integer, intent(in) :: Nstart, Nfinish
             real*8 :: x, sum1, sum2, step
11
12
             integer :: i, iblk
13
14
             sum = 0.0
15
             if (Nfinish - Nstart < MIN_BLK) then
16
17
                do i = Nstart, Nfinish - 1
18
                   x = (i + 0.5) * step
                  sum = sum + 4.0 / (1.0 + x * x)
19
20
                enddo
21
             else
22
                iblk = Nfinish - Nstart
23
                !$omp task shared(sum1)
24
                   sum1 = pi_comp(Nstart, Nfinish - iblk/2, step)
25
                !$omp end task
26
                !$omp task shared(sum2)
27
                   sum2 = pi_comp(Nfinish - iblk/2, Nfinish, step)
28
                !$omp end task
29
                !$omp taskwait
30
                sum = sum1 + sum2
31
             endif
32
33
          end function
```

```
34
35
   end module data_mod
36
37
   program main
38
       use omp_lib
39
       use data\_mod
40
       implicit none
41
42
       integer :: i
43
       real*8 :: pi, sum, step
44
45
       step = 1.0 / num_steps
46
47
       !$omp parallel
          !$omp single
48
             sum = pi\_comp(0, num\_steps, step);
49
          !$omp end single
50
51
       !$omp end parallel
52
      pi = step * sum
53
54
      WRITE(*,100) pi, num_steps
55
             FORMAT('pi = ', f15.8, ', ', i14, 'steps')
56
   100
57
  end program main
58
```

Figure 8.2: Relaxed memory models and race conditions

A program with a race condition – A relaxed memory model permits the assertion to fail; i.e., the thread with id == 1 can observe values in memory such that r == 1 while x is still 0.

```
program main
2
      use omp_lib
3
       implicit none
4
5
      integer :: x, y, r
6
      integer :: id, nthrds
7
      x = 0
8
      y = 0
9
      r = 0
10
       call omp_set_num_threads(2) ! request two threads
11
       !$omp parallel private(id, nthrds)
12
          id = omp_get_thread_num()
13
          !$omp single
14
             nthrds = omp_get_num_threads()
15
             ! verify that we have at least two threads
16
             if (nthrds < 2) stop 1
17
          !$omp end single
18
19
          if (id = 0) then
20
             x = 1
21
             r = x
22
          else if (id = 1) then
23
             if (r == 1) then
24
                y = x;
                if (y \neq 1) then
25
26
                    stop "fails y==1"
                                          ! Assertion will occasionally fail;
27
                                          ! i.e., r = 1 while x = 0
28
                endif
29
             endif
          endif
30
31
       !$omp end parallel
32
  end program main
```

### Figure 8.3: Updates may not be fully shared

An erroneous program where updates may not be fully shared – This program carries out an iterative computation over the elements of an array A. Assume the function doit() carries out a computation that is embarrassingly parallel with a fixed subset of the array A selected by the thread ID. This program could fall into an infinite loop if the value of conv does not issue the break from the while loop and the shared variable iter is not propagated across all the threads allowing it to trigger the loop exit condition (iter < MAX).

```
1
   ! sample compile command:
3
           gfortran -fopenmp -c Fig_8.3_regPromote.f90
4
   ! to generate *.o object file
5
6
   program main
       use omp_lib
8
       implicit none
9
10
       interface
11
          function doit (A, N, id)
12
             integer :: N, id
13
             real*8 :: A(N)
14
             real *8 :: doit
          end function
15
       end interface
16
17
18
       integer, parameter :: MAX = 10000
19
       integer, parameter :: NMAX = 1000
20
       real, parameter :: TOL = 0.0001
21
22
       integer :: iter, N
23
       real*8 :: A(NMAX)
24
       real *8 :: conv
25
       integer :: id, nthrd
26
27
       iter = 0
28
      N = 1000
29
      A = 0.0
```

```
30
      conv = 0.0
31
      !$omp parallel shared(A,N,iter) firstprivate(conv) private(id,nthrd)
32
33
         id = omp_get_thread_num()
         nthrd = omp_get_num_threads()
34
35
36
         do while (iter < MAX)
            conv = doit(A, N, id)
37
             if (conv < TOL) exit
38
             if (id = 0) iter = iter + 1
39
40
         end do
41
42
      !$omp end parallel
43
44 end program main
```

#### Figure 8.4: Races due to nowait

Reductions need a barrier – This program carries out a computation inside a parallel loop and accumulates the result with a reduction. The function called after the loop uses the SPMD pattern and does not use any of the values computed in the loop, hence the programmer used a nowait clause. The last function uses the reduction variable which may not be available for all threads since the reduction is only guaranteed to complete at the next barrier following the loop. As a result, this is an incorrect program.

```
integer :: id, nthrds, i
   !$omp parallel shared(A, B, sum) private(id, nthrds)
3
      id = omp_get_thread_num()
4
      nthrds = omp_get_num_threads()
5
6
      !$omp do reduction(+:sum)
7
         do i = 1, N
8
            sum = sum + big_job(A,N)
9
         end do
10
      !$omp end do nowait
11
12
      bigger_job(B, id)
                          ! a function that does not use A
13
      another_job(sum, id) ! sum may not be available
14
   !$omp end parallel
```

### Figure 8.5: Synchronization in producer-consumer programs

**Pairwise synchronization** – A producer-consumer pattern with one thread producing a result that another thread will consume. This program uses a spin-lock to make the consumer wait for the producer to finish. *Note: This program is not properly synchronized and as written will not work.* 

```
! flag to communicate when consumer can start
1 integer :: flag
2 integer :: id, nthrds
3
   flag = 0
4
5
   !$omp parallel shared(A, flag) private(id, nthrds)
6
       id = omp_get_thread_num()
7
       nthrds = omp_get_num_threads()
8
9
      ! we need two or more threads for this program
10
      if ((id = 0) .and. (nthrds < 2)) stop 1
11
12
      if (id = 0) then
13
          call produce(A)
14
         flag = 1
15
      endif
16
      if (id = 1) then
         do while (flag = 0)
17
18
             ! spin through the loop waiting for flag to change
19
         enddo
20
      call consume (A)
21
      endif
22
   !$omp end parallel
```

## 9 Common Core Recap

This chapter provides a summary of the items from OpenMP that make up the Common Core. Hence, there are not any example programs in this chapter.

# 10 Multithreading beyond the Common Core

### Page 176: Additional clauses for the Parallel construct

### Figure 10.1: Clauses on parallel constructs

Examples of clauses on the Parallel construct – The matrix A is transformed by a transformation which is assumed to be a unitary transform (i.e., a trace preserving transform). Notice how continuation of a directive onto an additional line is indicated by an ampersand (&). We do not show code for initMats() and transform() as their function bodies are not relevant for this example.

```
! sample command to compile to object file:
1
2
          gfortran -fopenmp -c Fig_10.1_parClaw.f90
   !
3
4
   program main
5
      use omp_lib
6
7
       interface
8
            initialization function
9
          subroutine initMats(N, A, T)
10
             integer :: N
11
             real, dimension (:,:), allocatable :: A, T
12
          end subroutine
13
            transform function
14
          subroutine transform (N, id, Nthrds, A, T)
15
             integer :: N, id, Nthrds
16
             real, dimension (:,:), allocatable :: A, T
17
          end subroutine
18
      end interface
19
20
       real :: trace = 0
21
       integer :: i, id, N, Nthrds
22
       real, dimension(:,:), allocatable :: A, T
23
24
                            ! number of Arg
       integer :: narg
25
       character (len=10) :: name ! Arg name
26
27
      narg = command_argument_count()
28
       if (narg = 1) then
29
          call get_command_argument(1,name)
30
          read (name, *) N
31
       else
```

```
32
          N = 10
33
       endif
       print *, "N=", N
34
35
36
       ! allocate space for two N x N matrices and initialize them
37
       allocate (T(N,N))
38
       allocate (A(N,N))
39
       call initMats(N, A, T)
40
41
       !$omp_parallel_if(N>100) num_threads(4) default(none) &
42
                        shared (A, T, N) private (i, id, Nthrds) reduction (+: trace)
43
          id = omp_get_thread_num()
          Nthrds = omp_get_num_threads()
44
45
          call transform (N, id, Nthrds, A, T)
46
47
          ! compute trace of A matrix
48
          ! i.e., the sum of diagonal elements
          !$omp do
49
             do i = 1, N
50
51
                trace = trace + A(i,i)
52
             enddo
53
          !$omp end do
54
       !$omp end parallel
       print *, " transform complete with trace = ", trace
55
   end program main
56
```

### Page 180: The lastprivate clause

```
integer :: i
!$omp do lastprivate(ierr)
   do i = 1, N
       ierr = work(i)
   enddo
!$omp end do
```

### Figure 10.3: Manipulating schedules for worksharing-loops at runtime

Use of runtime schedules – Function computes forces in a simple molecular dynamics program. Prints information about the runtime schedule when enabled by the DEBUG variable. Notice how we do line continuation for an OpenMP compiler directive in our parallel construct.

```
! sample compile command to generate *.o object file
2
        gfortran -fopenmp -c Fig_10.3_runtimeEx.f90
3
4
   subroutine forces (npart, x, f, side, rcoff)
5
       use omp_lib
6
       implicit none
7
8
       interface
9
          ! external function for potential energy term
10
          function pot (dist) result (res)
             real*8 :: dist
11
12
             real*8 :: res
13
          end function pot
       end interface
14
15
16
       integer (kind=omp_sched_kind) :: kind
17
       integer :: chunk_size
18
       logical :: DEBUG
19
       integer :: npart, i, j
       real*8 :: x(0:npart*3+2), f(0:npart*3+2)
20
21
       real *8 :: side, rcoff
22
       real*8 :: fxi, fyi, fzi
23
       real*8 :: xx, yy, zz, rd, fcomp
24
       character (len =:), allocatable :: schdKind(:)
25
26
       allocate (character (8) :: schdKind (0:4))
27
       ! map schedule kind enum values to strings for printing
28
29
      \operatorname{schdKind}(0) = \operatorname{"ERR"}
       schdKind(1) = "static"
30
31
       schdKind(2) = "dvnamic"
```

```
32
      schdKind(3) = "guided"
33
      schdKind(4) = "auto"
34
      DEBUG = .true.
35
       !$omp parallel do schedule(runtime) &
36
37
       !$omp private(fxi, fyi, fzi, j, xx, yy, zz, rd, fcomp)
38
39
          do i = 0, npart*3-1, 3
40
          ! zero force components on particle i
41
           fxi = 0.0
42
           fvi = 0.0
43
           fzi = 0.0
44
45
          ! loop over all particles with index > i
46
             do i = i+3, npart*3-1, 3
47
48
                ! compute distance between i and j with wraparound
                xx = x(i) - x(j)
49
                yy = x(i+1) - x(j+1)
50
                zz = x(i+2) - x(j+2)
51
52
53
                if (xx < (-0.5*side)) xx = xx + side
54
                if (xx > (0.5*side)) xx = xx - side
55
                if (yy < (-0.5*side)) yy = yy + side
                if (yy > (0.5*side)) yy = yy - side
56
                if (zz < (-0.5*side)) zz = zz + side
57
58
                if (zz > (0.5*side)) zz = zz - side
59
                rd = xx * xx + yy * yy + zz * zz
60
                ! if distance is inside cutoff radius, compute forces
61
62
                if (rd \ll rcoff * rcoff) then
                   fcomp = pot(rd)
63
64
                   fxi = fxi + xx*fcomp
65
                   fyi = fyi + yy*fcomp
                   fzi = fzi + zz*fcomp
66
67
                   !$OMP critical
                       f(j) = f(j) - xx*fcomp
68
69
                       f(j+1) = f(j+1) - yy*fcomp
70
                       f(j+2) = f(j+2) - zz*fcomp
```

```
!$OMP end critical
71
72
                endif
73
             enddo
74
             ! update forces on particle i
75
             f(i) = f(i) + fxi
             f(i+1) = f(i+1) + fyi
76
             f(i+2) = f(i+2) + fzi
77
78
         enddo
79
      !$omp end parallel do
80
81
      if (DEBUG) then
          call omp_get_schedule(kind, chunk_size)
82
83
         print *, "schedule ",schdKind(kind),"chunk_size=",chunk_size
84
      endif
85 end subroutine forces
```

### Figure 10.4: Combining loops to generate one large worksharingloop

The collapse clause on a worksharing-loop construct — The Apply function applies a function input as a function pointer to each element of an N by M array, A. Note that the pointer expression (A+i\*M+j) points to the (i,j) element of the array A.

```
! sample compile command to generate *.o object file
            gfortran -fopenmp -c Fig_10.4_loopCollapse.f90
3
4
     subroutine Apply (N, M, A, MFUNC)
5
          use omp_lib
         implicit none
6
7
8
          integer :: N, M
          real :: A(N,M)
9
10
          integer :: i, j
11
12
          interface
13
             subroutine MFUNC (i,j,x)
14
                integer, intent(in) :: i, j
15
                real :: x
16
             end subroutine MFUNC
17
          end interface
18
19
          ! apply a function MFUNC to each element of an N by M array
20
21
          !$omp parallel do num_threads(4) collapse(2) if(N*M>100)
22
              do i = 1, N
                 do j = 1, M
23
24
                    call MFUNC(i, j, A(i,j))
25
                 enddo
26
              enddo
27
           !$omp end parallel do
      end subroutine
28
```

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### Figure 10.6: Creating a DAG of tasks

**Task Dependencies** – This program implements the DAG (Directed Acyclic Graph) shown in Figure 10.5. The functions represent the nodes and the edges of the DAG are captured by the patterns of depend clauses.

```
! sample compile command to generate *.o object file
2
   !
               gfortran -fopenmp -c Fig_10.6_taskDep.f90
3
4
   program main
5
       use omp_lib
6
       implicit none
7
       external :: AWork, BWork, Cwork, Dwork, Ework
8
       real :: A, B, C, D, E
9
10
       !$omp parallel shared(A, B, C, D, E)
11
          !$omp single
12
             !$omp task depend(out:A)
13
                call Awork(A)
14
             !$omp end task
15
             !$omp task depend(out:E)
16
                call Ework(E)
17
             !$omp end task
18
             !$omp task depend(in:A) depend(out:B)
19
                call Bwork(B)
20
             !$omp end task
21
             !$omp task depend(in:A) depend(out:C)
22
                call Cwork(C)
23
             !$omp end task
24
             !$omp task depend(in:B,C,E)
25
                call Dwork(E)
26
             !$omp end task
27
          !$omp end single
28
       !$omp end parallel
29
   end program main
```

### Figure 10.7: Threadprivate variables to make variables private to a thread but global inside a thread

Counting task executions with a threadprivate counter – This program traverses a linked list in parallel with tasks doing a random amount of work for each node in the list. A threadprivate variable is used to keep track of how many tasks were executed by each thread. Note: we do not provide the functions used for the list nor the list processing.

```
! sample compile command to generate *.o object file
          gfortran -fopenmp -c Fig_10.7_threadpriv.f90
3
4
   module data_mod
5
       implicit none
6
       integer :: counter
7
       !$omp threadprivate(counter)
8
       type node
9
          integer :: data
10
          type(node), pointer :: next
      end type node
11
12
       contains
13
          subroutine init_list(p)
             type (node), pointer :: p
14
15
             ! init list here
16
          end subroutine
17
          subroutine processwork(p)
18
             type (node), pointer :: p
             ! proces work here
19
20
          end subroutine
21
          subroutine freeList(p)
22
             type (node), pointer :: p
23
             ! free list here
24
          end subroutine
25
          subroutine inc_count()
26
              counter = counter + 1
27
          end subroutine
28
   end module data_mod
29
   program main
```

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```
31
       use omp_lib
32
       use data_mod
       implicit none
33
34
       type(node), pointer :: head
35
36
       type(node), pointer :: p
37
       counter = 0
38
       call init_list(p)
39
       head \Rightarrow p
40
       !$omp parallel private(p) copyin(counter)
41
          !$omp single
42
43
             p \implies head
44
             do
45
                 !$omp task firstprivate(p)
                    call inc_count()
46
                    call processwork(p)
47
48
                 !$omp end task
49
                 p \implies p\%next
                 if (.not. associated(p)) exit
50
             end do
51
52
          !$omp end single
53
       !$omp end parallel
54
55
       call freeList(p)
56 end program main
```

### Figure 10.8: Threadprivate variables and Fortran common blocks

A counter with threadprivate in Fortran – This code come from the OpenMP 4.5 Examples document (threadprivate.1.f). This Fortran function creates a global scope variable in Fortran through common blocks. Hence, the counter is placed in a named common block and that block is made threadprivate.

```
1 INTEGER FUNCTION INCREMENT_COUNTER()
2 COMMON/INC_COMMON/COUNTER
3 !$OMP THREADPRIVATE(/INC_COMMON/)
4 COUNTER = COUNTER +1
5 INCREMENT_COUNTER = COUNTER
6 RETURN
7 END FUNCTION INCREMENT_COUNTER
```

Figure 11.1: Sequence points from C expressed in Fortran

**Examples of sequence points** – This code shows the most common sequence points and the relations sequenced-before, indeterminately sequenced, and unsequenced.

```
! sample compile command to generate *.o object file:
2
          gfortran -fopenmp -c Fig_11.1_seqPts.f90
3
   program main
4
      implicit none
      integer :: a , b, c, d, e
5
6
      integer :: i, N = 100
      integer, external :: func1, func2, func3
8
9
     ! Each semicolon defines a sequence point ...
     ! all ordered by sequenced-before relations.
10
11
12
      a = 1; b = 2; c = 0
13
     ! 3 sequence points: the full statement plus the 2 function calls.
14
15
     ! The + operator is not a sequence point so the function calls
16
     ! are unordered and therefore, indeterminately sequenced.
17
18
      d = func2(a) + func3(b)
19
20
     ! each expression in the for statement is a sequence point.
21
     ! they occur in a sequenced-before relation.
22
23
       do i = 1, N
24
         ! function invocations are each a sequence point. Argument
25
         ! evaluations are unordered or indeterminately sequenced.
26
         e = func1(func2(a), func3(b))
27
      enddo
28
29
      ! There is no Fortran increment syntax such as a++ in C.
30
      ! a = a + 1 evaluates a + 1 first, then store the new value in a.
31
32
      a = a + 1
33 end program main
```

### Figure 11.3: Producer-consumer program with data races

Pairwise synchronization with incorrect synchronization – A producer consumer pattern with one thread producing a result that another thread will consume. This program uses a spin-lock to make the consumer wait for the producer to finish. Note: While the logic in this program is correct, it contains a data race. Hence it is not a valid OpenMP program and as written will not work.

```
integer :: flag
                       ! flag to signal when the consumer can start
   integer :: id, nthrds
   flag = 0
   call omp_set_num_threads(2)
5
6
   !$omp parallel shared(A, flag) private(id, nthrds)
7
       id = omp_get_thread_num()
8
       nthrds = omp_get_num_threads()
9
10
      ! we need two or more threads for this program
      if ((id = 0) .and. (nthrds < 2)) stop 1
11
12
13
      if (id = 0) then
14
          call produce(A)
15
          flag = 1
16
      endif
17
      if (id = 1) then
18
         do while (flag = 0)
19
             ! spin through the loop waiting for flag to change
20
         enddo
21
         call consume(A)
22
      endif
23
   !$omp end parallel
```

### Figure 11.4: Spin locks and flushes

Pairwise synchronization with flushes – A producer consumer program with a spin lock and explicit flushes. This code is incorrect since the operations on the flag define a data race.

```
integer :: flag
                       ! flag to signal when the consumer can start
   integer :: id, nthrds
   flag = 0
   call omp_set_num_threads(2)
5
6
   !$omp parallel shared(A, flag) private(id, nthrds)
7
       id = omp_get_thread_num()
8
       nthrds = omp_get_num_threads()
9
10
      ! we need two or more threads for this program
      if ((id = 0) .and. (nthrds < 2)) stop 1
11
12
13
      if (id = 0) then
          call produce(A)
14
15
          !$omp flush
16
          flag = 1
17
          !$omp flush (flag)
18
      endif
      if (id = 1) then
19
20
          !$omp flush (flag)
21
          do while (flag = 0)
22
             !$omp flush (flag)
23
          enddo
24
          !$omp flush
25
          call consume(A)
26
      endif
27
   !$omp end parallel
```

### Figure 11.5: Spin-lock and flushes with atomics

Pairwise synchronization with flushes and atomics – A producer consumer program with a spin lock and explicit flushes. With the use of atomics to update and then read flag, this program is race free on any processor.

```
integer :: flag, flag_temp
                                   ! flag to signal when the consumer can start
   integer :: id, nthrds
   flag = 0
   call omp_set_num_threads(2)
5
6
   !$omp parallel shared(A, B, flag) private(id, nthrds, flag_temp)
7
       id = omp_get_thread_num()
8
       nthrds = omp_get_num_threads()
9
10
      ! we need two or more threads for this program
      if ((id = 0) .and. (nthrds < 2)) stop 1
11
12
13
      if (id = 0) then
14
          call produce(A)
15
          !$omp flush
16
          !$omp atomic write
17
             flag = 1
18
          !$omp end atomic
19
      endif
20
      if (id = 1) then
21
          do while (flag_temp \neq 0)
22
             !$omp atomic read
23
                 flag_temp = flag
24
             !$omp end atomic
25
          enddo
26
          !$omp flush
27
          call consume(A)
28
      endif
29
   !$omp end parallel
```

### Figure 11.6: Synchronization mapped onto the elements of a data structure

Locks to protect updates to a histogram – Generate a sequence of pseudorandom numbers and assigns them to a histogram.

```
! sample compile command to generate *.o object file
2
   !
           gfortran -fopenmp -c Fig_11.6_hist.f90
3
4
   program main
      use omp_lib
5
      implicit none
6
7
8
      integer, parameter :: num_trials = 1000000 ! number of x values
9
      integer, parameter :: num_bins = 100 ! number of bins in histogram
      real*8, save :: xlow = 0.0; ! low end of x range
10
      real *8, save :: xhi = 10.0; ! high end of x range
11
12
13
      real*8 :: x
      integer *8 :: hist(num_bins) ! the histogram
14
      integer *8 :: ival, i
15
      real*8 :: bin_width ! the width of each bin in the hi, stogram
16
      real*8 :: sumh, sumhsq, ave, std_dev
17
18
   ! hist_lcks is an array of locks, one per bucket
19
      integer (kind=omp_lock_kind) :: hist_lcks (num_bins)
20
21
22
      interface
23
         function drandom() result(val)
24
            real *8 :: val
25
         end function
26
         subroutine seed (low_in, hi_in)
27
             real *8, intent(in) :: low_in, hi_in
         end subroutine
28
29
      end interface
30
      call seed(xlow, xhi) ! seed random generator over range of x
31
32
      bin_width = (xhi - xlow) / dble(num_bins)
33
```

```
34
       ! initialize the histogram and the array of locks
35
       !$omp parallel do schedule(static)
36
          do i = 1, num_bins
37
             hist(i) = 0
38
             call omp_init_lock(hist_lcks(i))
39
          enddo
40
       !$omp end parallel do
       ! test uniform pseudorandom sequence by assigning values
41
42
       ! to the right histogram bin
43
       !$omp parallel do schedule(static) private(x,ival)
44
          do i = 1, num_trials
45
             x = drandom()
             ival = int8((x - xlow)/bin_width)
46
47
             ! protect histogram bins.
48
             ! Low overhead due to uncontended locks
49
             call omp_set_lock(hist_lcks(ival))
50
             hist(ival) = hist(ival) + 1
51
             call omp_unset_lock(hist_lcks(ival))
52
          enddo
53
       !$omp end parallel do
54
55
      sumh = 0.0
56
      sumhsq = 0.0
57
       ! compute statistics (ave, std_dev) and destroy locks
58
       !$omp parallel do schedule(static) reduction(+:sumh, sumhsq)
59
          do i = 1, num_bins
60
             sumh = sumh + hist(i)
61
             sumhsq = sumhsq + hist(i)*hist(i)
62
             call omp_destroy_lock(hist_lcks(i))
63
          enddo
64
       !$omp end parallel do
65
66
       ave = sumh / dble(num_bins)
       std_dev = sqrt(sumhsq / dble(num_bins) - ave * ave)
67
68 end program main
```

### Figure 11.7: Atomics make our producer-consumer program much simpler

Pairwise synchronization with sequentially consistent atomics – A producer consumer program but now the form of atomic construct used implies all the flushes we need.

```
1 integer :: flag, temp_flag
                                  ! flag to signal when the consumer can start
2 integer :: id, nthrd
   flag = 0
3
4
5
   call omp_set_num_threads(2)
6
7
   !$omp parallel shared(A, flag) private(id, nthrd, temp_flag)
8
      id = omp_get_thread_num()
9
      nthrds = omp_get_num_threads()
10
11
      ! we need two or more threads for this program
      if ((id = 0) .and. (nthrds < 2)) stop -1
12
13
14
      if (id = 0) then
15
          call produce(A)
16
         !$omp atomic write seq_cst
17
             flag = 1
18
         !$omp end atomic
19
      endif
20
21
      if (id = 1) then
22
         do while (1)
23
             !$omp atomic read seq_cst
24
                flag_temp = flag
25
             if (flag_temp /= 0) exit
26
         enddo
27
         call consume(A)
28
      endif
29 !$omp end parallel
```

Figure 12.6: First touch and reducing memory movement costs

STREAM initialization with and without first touch – Without first touch: step 1.a + step 2. With first touch: step 1.b + step 2.

```
! Step 1.a Initialization by initial thread only
1
2
      do j = 1, VectorSize
3
         a(j) = 1.0
4
         b(j) = 2.0
         c(j) = 0.0
5
6
      enddo
7
   ! Step 1.b Initialization by all threads (first touch)
9
      call omp_set_dynamic(0)
     !$omp parallel do schedule(static)
10
      do j = 1, VectorSize
11
12
         a(i) = 1.0
13
         b(j) = 2.0
14
         c(i) = 0.0
15
      enddo
16
     !$omp end parallel do
17
18
   ! Step 2 Compute
19
     !$omp parallel do schedule(static)
       do j = 1, VectorSize
20
21
           a(j) = b(j) + d * c(j)
22
       enddo
23
     !$omp end parallel do
```

#### Figure 12.9: Nested parallelism

Nested OpenMP parallel constructs — There are 3 levels of nested OpenMP parallel regions, 2 threads in each level. The num\_threads clause is used to specify the number of threads desired for each parallel region.

```
1
   subroutine report_num_threads(level)
2
       use omp_lib
3
       implicit none
4
5
       integer :: level
6
       !$omp single
          write(*,100) level, omp_get_num_threads()
7
8
   100
          format ("Level", I3, ": number of threads in the team is", I6)
9
       !$omp end single
10
   end subroutine report_num_threads
11
12
   program main
13
      use omp_lib
14
       implicit none
15
       external :: report_num_threads
16
17
       call omp_set_dynamic (.false.)
18
       !$omp parallel num_threads(2)
19
          call report_num_threads(1)
20
          !$omp parallel num_threads(2)
21
             call report_num_threads(2)
22
             !$omp parallel num_threads(2)
23
                call report_num_threads(3)
24
             !$omp end parallel
25
          !$omp end parallel
26
       !$omp end parallel
27
   end program main
```

### Figure 12.12: Controlling thread affinity

Affinity format example – We set the thread affinity format string and then ran the STREAM benchmark on the server-node with logical CPU numbering from Figure 12.4. We show two different executions of the STREAM benchmark: one with OMP\_PROC\_BIND set to spread and the other with OMP\_PROC\_BIND set to close.

```
$ ifort -qopenmp -DNTIMES=20 -DSTREAM_ARRAY_SIZE=64000000 -c stream.f
$ ifort -qopenmp -o stream stream.o
$ export OMP_DISPLAY_AFFINITY=true
$ export OMP_AFFINITY_FORMAT="Thrd Lev=%3L, thrd_num=%5n, thrd_aff=%15A"
$ export OMP_PLACES=threads
$ export OMP_NUM_THREADS=8
$ export OMP_PROC_BIND=spread
$ ./stream | sort -k3
<stream results omitted ...>
Thrd Lev=1 , thrd_num=0
                         , thrd_aff=0
Thrd Lev=1 , thrd_num=1
                           , thrd_aff=8
Thrd Lev=1 , thrd_num=2
                           , thrd_aff=16
Thrd Lev=1 , thrd_num=3
                           , thrd_aff=24
Thrd Lev=1 , thrd_num=4
                           , thrd_aff=1
Thrd Lev=1 , thrd_num=5
                           , thrd_aff=9
Thrd Lev=1 , thrd_num=6
                           , thrd_aff=17
Thrd Lev=1 , thrd_num=7
                           , thrd_aff=25
$ export OMP_PROC_BIND=close
$ ./stream |sort -k3
<stream results omitted ...>
Thrd Lev=1 , thrd_num=0
                           , thread_aff=0
Thrd Lev=1 , thrd_num=1
                           , thread_aff=32
Thrd Lev=1 , thrd_num=2
                           , thread_aff=2
Thrd Lev=1 , thrd_num=3
                           , thread_aff=34
Thrd Lev=1 , thrd_num=4
                           , thread_aff=4
Thrd Lev=1 , thrd_num=5
                           , thread_aff=36
Thrd Lev=1 , thrd_num=6
                           , thread_aff=6
                           , thread_af=38
Thrd Lev=1 , thrd_num=7
```

### Figure 12.13: Serial Pi program (from Figure 4.5)

**Serial Pi program** —This program approximates a definite integral using the midpoint rule The loop iterations are independent other than the summation into sum. Note that we must explicitly represent all constants as floats to prevent internal operations from using double precision.

```
PROGRAM MAIN
1
2
              IMPLICIT NONE
3
4
              INTEGER :: i
5
              INTEGER, PARAMETER :: num_steps = 1000000
6
              REAL :: x, pi, sum, step
7
8
              sum = 0.0
9
10
              step = 1.0 / num_steps
11
12
              DO i = 1, num\_steps
                 x = (i - 0.5) * step
13
                 sum = sum + 4.0 / (1.0 + x * x)
14
15
              ENDDO
16
17
              pi = step * sum
              print *, "pi=", pi
18
19
              END PROGRAM MAIN
20
```

### Figure 12.14: Unrolled loop in the Pi program

**Serial Pi program with loops unrolled by 4** – Numerical integration to estimate Pi. We assume the number of steps is evenly divided by 4 just to keep the program simpler.

```
1
             PROGRAM MAIN
2
              IMPLICIT NONE
3
4
              INTEGER :: i
5
              INTEGER, PARAMETER :: num_steps = 100000
6
              REAL :: x0, x1, x2, x3, pi, sum
7
              REAL :: step
8
9
              sum = 0.0
10
              step = 1.0/num_steps
11
12
              DO i = 1, num\_steps, 4
13
                 x0 = (i - 0.5) * step
14
                 x1 = (i + 0.5) * step
15
                 x2 = (i + 1.5) * step
16
                 x3 = (i + 2.5) * step
                 sum = sum + 4.0 * (1.0 / (1.0 + x0 * x0) &
17
18
                            \& + 1.0 / (1.0 + x1 * x1) \&
                           \& + 1.0 / (1.0 + x2 * x2) \&
19
                            & + 1.0 /(1.0 + x3 * x3)
20
21
              ENDDO
22
              pi = step * sum
23
24
25
              WRITE(*,100) pi, num_steps
             FORMAT('pi = ', f15.8, ', ', i14, 'steps')
26
   100
27
28
              END PROGRAM MAIN
```

#### Figure 12.15: Calling a C function with SSE code from Fortran

**Pi program using SSE vector intrinsics** – Numerical integration to estimate Pi. We assume the number of steps is evenly divided by 4 just to keep the program simpler.

```
Save the contents in 2 files as below:
! To build and run:
! % gcc -c get_pi_vec.c
! % gfortran get_pi_vec.o Fig_12.15_explicitVecPi.f90
! % ./a.out
# File 1: "Fig_12.15_explicitVecPi.f90"
program main
   interface
      function get_pi_vec () result(r) bind(C, name="get_pi_vec")
         use, intrinsic :: iso_c_binding, only : c_float
         real(c_float) :: r
      end function get_pi_vec
   end interface
  real :: pi
   pi = get_pi_vec()
   print *, "in Fortran: pi=", pi
end program
#File 2: "get_pi_vec.c"
#include <x86intrin.h>
static long num_steps = 100000;
float scalar_four = 4.0f, scalar_zero = 0.0f, scalar_one = 1.0f;
float step;
float get_pi_vec ()
{
   int i;
   float pi;
   float vsum[4], ival;
```

```
step = 1.0f/(double) num_steps;
  _{m128 \text{ ramp}} = _{mm\_setr\_ps(0.5, 1.5, 2.5, 3.5)};
  __m128 one = _mm_load1_ps(&scalar_one);
  __m128 four = _mm_load1_ps(&scalar_four);
  __m128 vstep = _mm_load1_ps(&step);
  __m128 sum = _mm_load1_ps(&scalar_zero);
   __m128 xvec;
   __m128 denom;
   __m128 eye;
  for (i = 0; i < num_steps; i = i + 4){
      ival = (float) i;
      eye = _mm_load1_ps(&ival);
      xvec = _mm_mul_ps(_mm_add_ps(eye,ramp), vstep);
      denom = _mm_add_ps(_mm_mul_ps(xvec,xvec), one);
           = _mm_add_ps(_mm_div_ps(four,denom), sum);
   }
   _mm_store_ps(&vsum[0], sum);
  pi = step * (vsum[0] + vsum[1] + vsum[2] + vsum[3]);
  return pi;
}
```

### Figure 12.16: Multithreading with SSE vectorization

A multithreaded and vectorized Pi program – This program carries out a numerical integration to estimate Pi. We assume the number of steps is evenly divisible by 4 and that we got 4 threads just to keep the program simple.

```
Save the contents in 2 files as below:
2 ! To build and run:
3 ! % gcc -c -fopenmp get_pi_par_vec.c
4 ! % gfortran -fopenmp get_pi_par_vec.o Fig_12.16_parVecPi.f90
  ! % ./a.out
6
  ! Save the contents in 2 files as below:
  ! To build and run:
9 ! % gcc -c -fopenmp get_pi_par_vec.c
10 ! % gfortran -fopenmp get_pi_par_vec.o Fig_12.16_parVecPi.f90
   ! % ./a.out
11
12
13
   #File 1: "Fig_12.16_parVecPi.f90"
14
15
   program main
16
      use omp_lib
      interface
17
18
          function get_par_pi_vec () result(r) bind(C, name="get_par_pi_vec")
             use, intrinsic :: iso_c_binding, only : c_float
19
20
             real(c_float) :: r
21
         end function get_par_pi_vec
22
      end interface
23
24
      real :: pi
25
      pi = get_par_pi_vec()
      print *, "in Fortran: pi=", pi
26
27
   end program
28
29
   #File 2: "get_pi_par_vec.c"
30
31 #include <x86intrin.h>
32 \text{ static long num\_steps} = 100000;
33 #define MAX_THREADS 4
```

```
float scalar_four = 4.0f, scalar_zero = 0.0f, scalar_one = 1.0f;
35
   float step:
   float get_pi_par_vec ()
36
37
38
       int i, k;
39
       float local_sum [MAX_THREADS];
       float pi, sum = 0.0;
40
41
       step = 1.0 f/(double) num_steps;
42
43
       for (k = 0; k < MAX\_THREADS; k++) local\_sum[k] = 0.0;
44
45
       #pragma omp parallel num_threads(4) private(i)
46
47
           int ID = omp_get_thread_num();
48
           float vsum[4], ival, scalar_four = 4.0;
49
50
           _{\text{--m}128 \text{ ramp}} = _{\text{mm\_setr\_ps}}(0.5, 1.5, 2.5, 3.5);
                          = _mm_load1_ps(&scalar_one);
51
           _{-}m128 one
52
           _{\text{--m}128} four = _{\text{mm}} load1_{\text{ps}} (&scalar_four);
53
           _{\text{--m}128} \text{ vstep} = _{\text{mm}} \text{load1}_{\text{-ps}}(\& \text{step});
           _{-m}128 \text{ sum}
54
                          = _mm_load1_ps(&scalar_zero);
55
           _{-m}128 \text{ xvec};
           _{-m}128 denom;
56
57
           _{-m}128 eye;
58
59
           // unroll loop 4 times ... assume num_steps\\%4 =0
60
           #pragma omp for schedule(static)
61
           for (i = 0; i < num\_steps; i = i + 4){
62
               ival = (float) i;
                      = _{\text{mm}} \log d1_{\text{ps}}(\& ival);
63
64
               xvec = _mm_mul_ps(_mm_add_ps(eye, ramp), vstep);
65
               denom = _mm_add_ps(_mm_mul_ps(xvec, xvec), one);
66
                      = _mm_add_ps(_mm_div_ps(four,denom), sum);
           }
67
           _{\text{mm\_store\_ps}}(\&\text{vsum}[0], \text{sum});
68
           local\_sum[ID] = step * (vsum[0] + vsum[1] + vsum[2] + vsum[3]);
69
70
71
       for (k = 0; k < MAX.THREADS; k++) pi += local_sum[k];
72
       return pi;
```

73 }

### Figure 12.17: Vectorization with the OpenMP SIMD construct

OpenMP program to vectorize the Pi program – The simd clause directs the compiler to explicitly vectorize the program. As with many OpenMP features, this clause asserts to the compiler that it is safe to vectorize the code and it will do so, even if there are loop-carried dependencies that should prevent vectorization.

```
1
             PROGRAM MAIN
2
              IMPLICIT NONE
3
4
              INTEGER :: i
5
              INTEGER, PARAMETER :: num_steps = 100000
6
              REAL :: x, pi, sum, step
7
8
              sum = 0.0
9
10
              step = 1.0 / num_steps
11
12
   !$OMP parallel SIMD private(x) reduction(+:sum)
13
              DO i = 1, num\_steps
                 x = (i - 0.5) * step
14
15
                 sum = sum + 4.0 / (1.0 + x * x)
16
              ENDDO
17
   !$OMP end parallel SIMD
18
19
              pi = step * sum
20
              print *, "pi=", pi
21
22
              END PROGRAM MAIN
```

### Figure 12.18: Combining multithreading and vectorization

OpenMP program to multithread and vectorize the Pi program – This is a familiar "parallel do" approach to solving the problem but we have added one additional clause: a simd clause for explicit vectorization.

```
PROGRAM MAIN
1
2
3
              USE OMP_LIB
4
              IMPLICIT NONE
5
6
              INTEGER :: i
7
8
              INTEGER, PARAMETER :: num_steps = 100000
9
              REAL :: x, pi, sum, step
10
11
              sum = 0.0
12
13
              step = 1.0/num_steps
14
15
   !$omp parallel do simd private(x) reduction(+:sum)
16
             DO i = 1, num\_steps
17
                 x = (i - 0.5) * step
18
                 sum = sum + 4.0 / (1.0 + x * x)
19
              ENDDO
   !$omp end parallel do simd
20
21
22
              pi = step * sum
23
24
              print *, "pi=", pi
              END PROGRAM MAIN
25
```

### Figure 12.19: Target construct with default data movement

#### OpenMP program for elementwise multiplication of vectors on a GPU -

Default data movement moves the vectors a, b, and c onto the device before the computations starts and back onto the host (the CPU) when the computation has completed.

```
1
   program main
2
      use omp_lib
3
      implicit none
4
5
      integer, parameter :: N = 1024
6
      real*8 :: a(N), b(N), c(N)
7
      integer :: i
8
9
   ! initialize a, b, and c (code not shown)
10
11
   !$omp target
12
   !$omp teams distribute parallel do simd
13
      do i = 1, N
14
         c(i) = c(i) + a(i) * b(i)
15
      enddo
   !$omp end teams distribute parallel do simd
16
   !$omp end target
17
18
19
   end program main
```

### Figure 12.20: Explicit data movement between the host and a device

Explicit data movement with the target directive – The map clause controls movement of data from the host to a device or from the device onto the host. When working with pointers to arrays, you need to use array sections to define precisely which data to move.

```
1
   program main
2
      use omp_lib
3
4
      integer, parameter :: N = 1024
5
       real *8, allocatable, dimension (:) :: a, b, c
6
      integer :: i
7
8
       allocate (a(N))
9
       allocate (b(N))
10
       allocate (c(N))
11
12
   ! initialize a, b, and c (code not shown)
13
   !\$omp target map(to:a(1:N),b(1:N)) map(tofrom:c(1:N))
14
15
   !$omp teams distribute parallel do simd
16
      do i = 1, N
          c(i) = c(i) + a(i) * b(i)
17
18
      enddo
   !$omp end teams distribute parallel do simd
19
20
   !$omp end target
21
22
   end program main
```

### Figure 12.21: Data movement between multiple target regions

Multiple target regions – The map clause controls movement of data from the host to a device or from the device onto the host. When working with pointers to arrays, you need to use array sections to define precisely which data to move.

```
1
   program main
2
      use omp_lib
3
4
      integer, parameter :: N = 1024
      real *8, allocatable, dimension (:) :: a, b, c, d
5
6
      integer :: i
7
8
      allocate (a(N))
9
      allocate (b(N))
10
      allocate (c(N))
11
      allocate (d(N))
12
13
   ! initialize a, b, and c (code not shown)
14
   !$omp target map(to:a(1:N),b(1:N)) map(tofrom:c(1:N))
15
16
   !$omp teams distribute parallel do simd
17
      do i = 1, N
         c(i) = c(i) + a(i) * b(i)
18
19
      enddo
   !$omp end teams distribute parallel do simd
20
21
   !$omp end target
22
23
   !\sum target map(to:a(1:N),b(1:N)) map(tofrom:d(1:N))
24
   !$omp teams distribute parallel do simd
25
      do i = 1, N
         d(i) = d(i) + a(i) * c(i)
26
27
   !$omp end teams distribute parallel do simd
29
   !$omp end target
30
31
  end program main
```

### Figure 12.22: Managing data movement across multiple target regions

**Target Data Region** – A single target data region manages data at the level of a device. It persists and is used between multiple target constructs. code:ompTargDat

```
program main
2
      use omp_lib
3
      integer, parameter :: N = 1024
4
      real *8, allocatable, dimension (:) :: a, b, c, d
5
      integer :: i
6
      allocate (a(N))
7
      allocate (b(N))
8
      allocate (c(N))
9
      allocate (d(N))
10
   ! initialize a, b, and c (code not shown)
11
12
13
   !$omp target data map(to:a(1:N),b(1:N),c(1:N)) map(tofrom:d(1:N))
14
15
   !$omp target
16
   !$omp teams distribute parallel do simd
17
      do i = 1, N
         c(i) = c(i) + a(i) * b(i)
18
19
      enddo
20
   !$omp end teams distribute parallel do simd
21
   !$omp end target
22
23
   !$omp target
24
   !$omp teams distribute parallel do simd
25
      do i = 1, N
         d(i) = d(i) + a(i) * c(i)
26
27
      enddo
   !$omp end teams distribute parallel do simd
29
   !$omp end target
30
31
   !$omp end target data
32
33 end program main
```

Figure 13.1: Task with critical constructs can deadlock

A subtle deadlock with tasks: – This is the tasking.9.c example from the OpenMP 4.5 Examples document. This function can deadlock if the thread suspends task 1 to begin work on task 2.

```
! sample compile command to generate *.o object file:
       gfortranc -fopenmp -c Fig-13.1-taskBug.f90
3
4
   subroutine work()
5
      use omp_lib
6
      implicit none
7
8
      !$omp task
                    ! task 1
9
                       ! task 2
         !$omp task
10
              !$omp critical
                              ! Critical region 1
11
                 ! do work here
              !$omp end critical ! end Critical Region 1
12
13
         !$omp end task ! end task2
14
         !$omp critical! Critical Region 2
15
             !$omp task ! task 3
16
                 ! do work here }
17
             !$omp end task ! end task3
18
         !$omp end critical! end Critical Region 2
      !$omp end task
19
                        ! end task 1
20
  end subroutine
```